

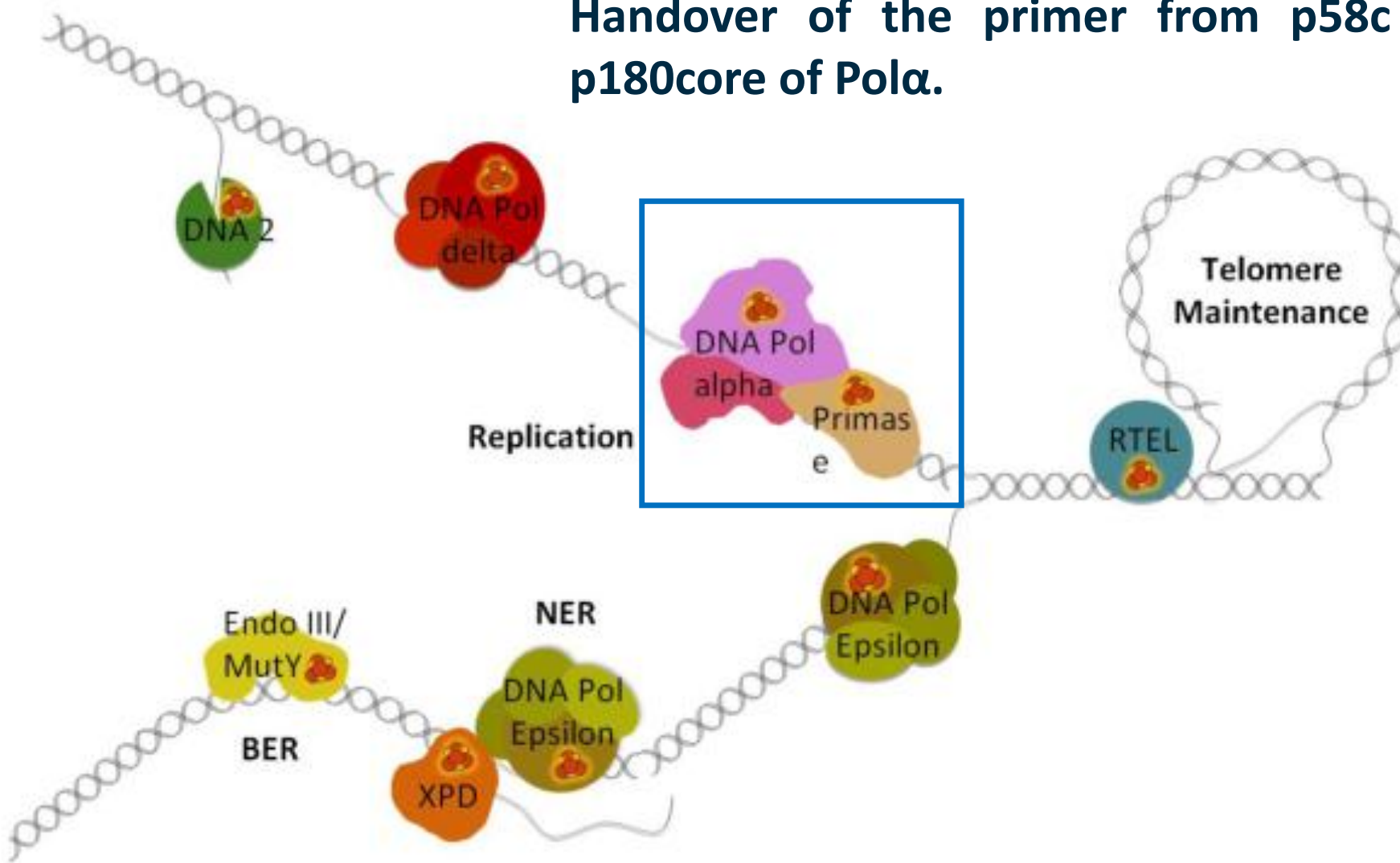
Unraveling functional hole hopping pathways in the [4Fe4S]-containing DNA primase

“Blue Waters has enabled me to develop force field parameters for $[Fe_4S_4]^{2+/3+}$ cluster and EHPATH.py.”

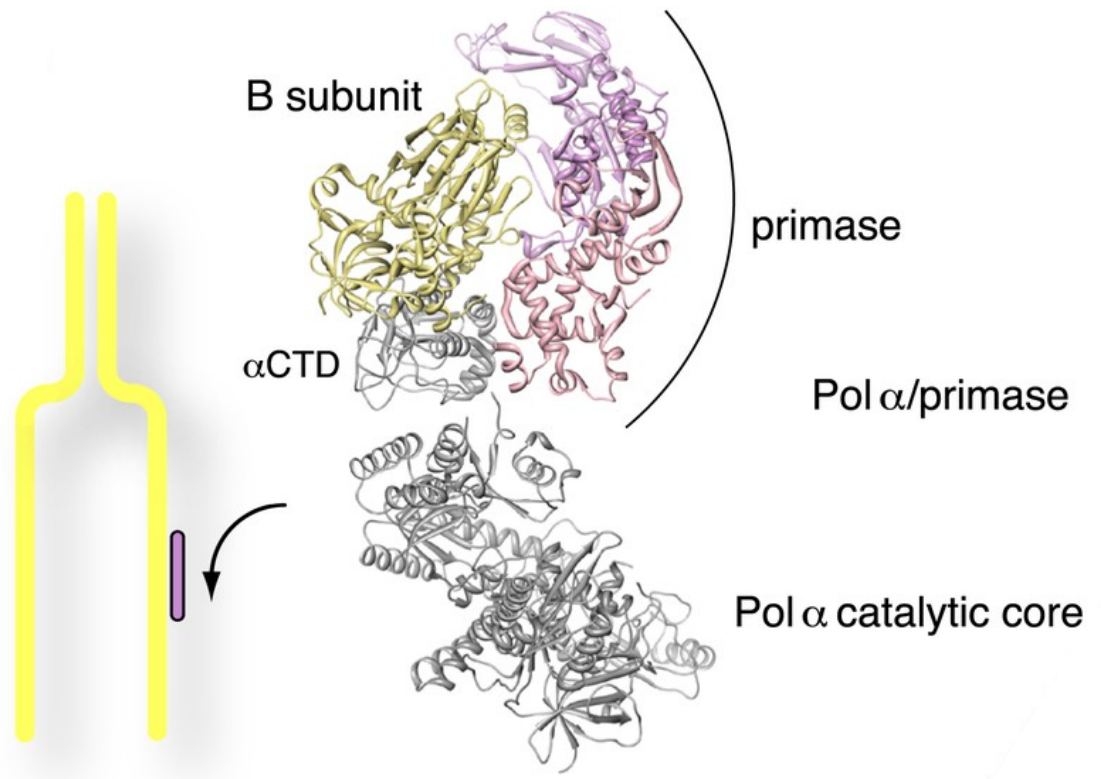
Darius Teo, Ph.D. candidate
Beratan group, Duke University

Emerging roles of Fe-S cluster enzymes in DNA replication and repair

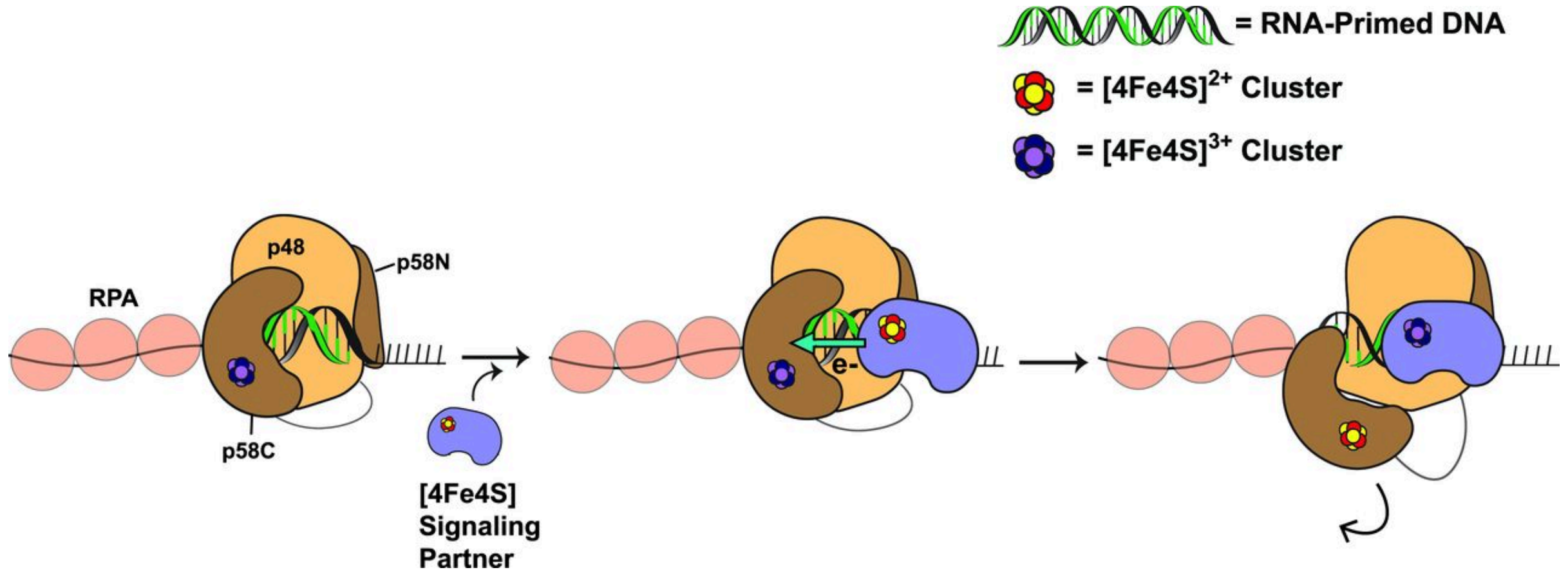
Handover of the primer from p58c of primase to p180core of Pol α .



RNA-DNA primer synthesis during DNA replication of the lagging strand

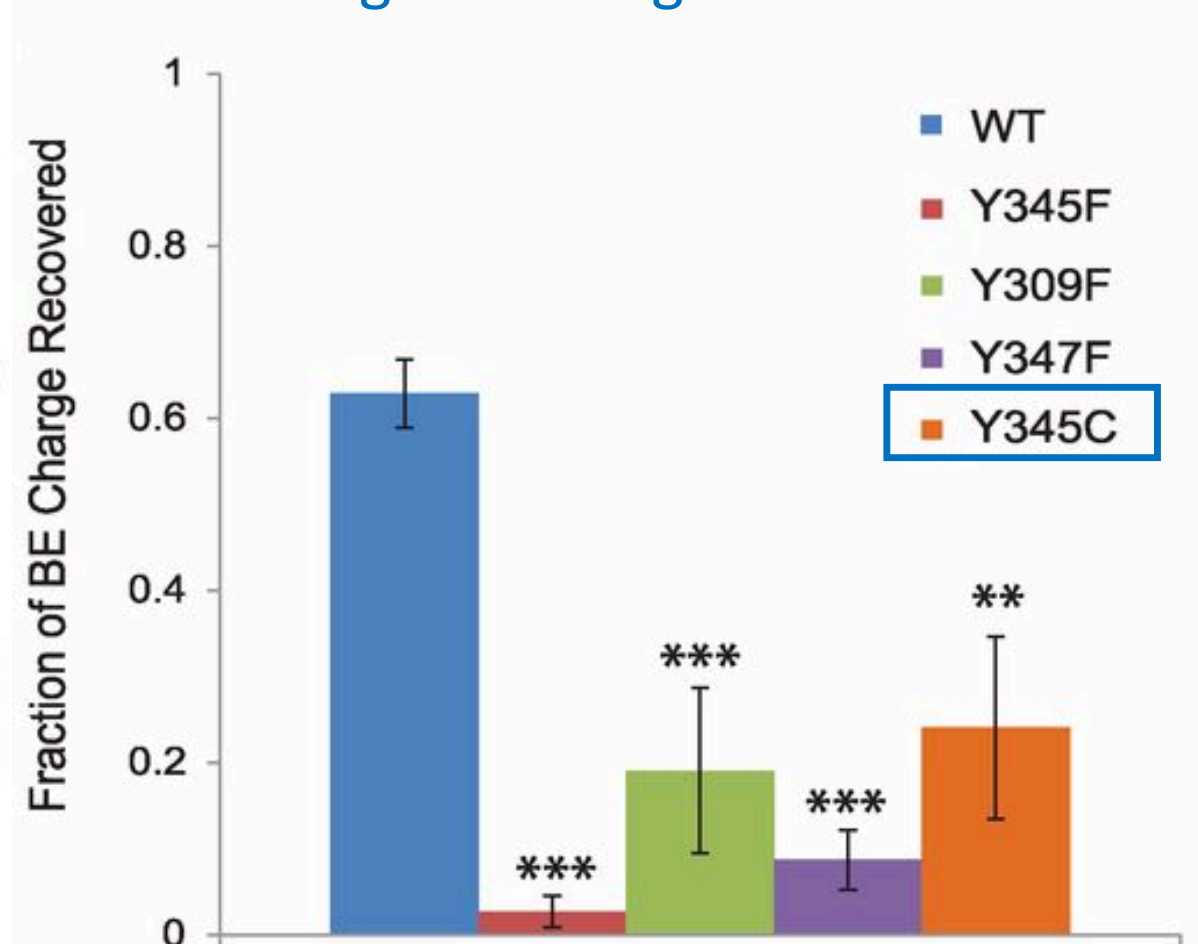
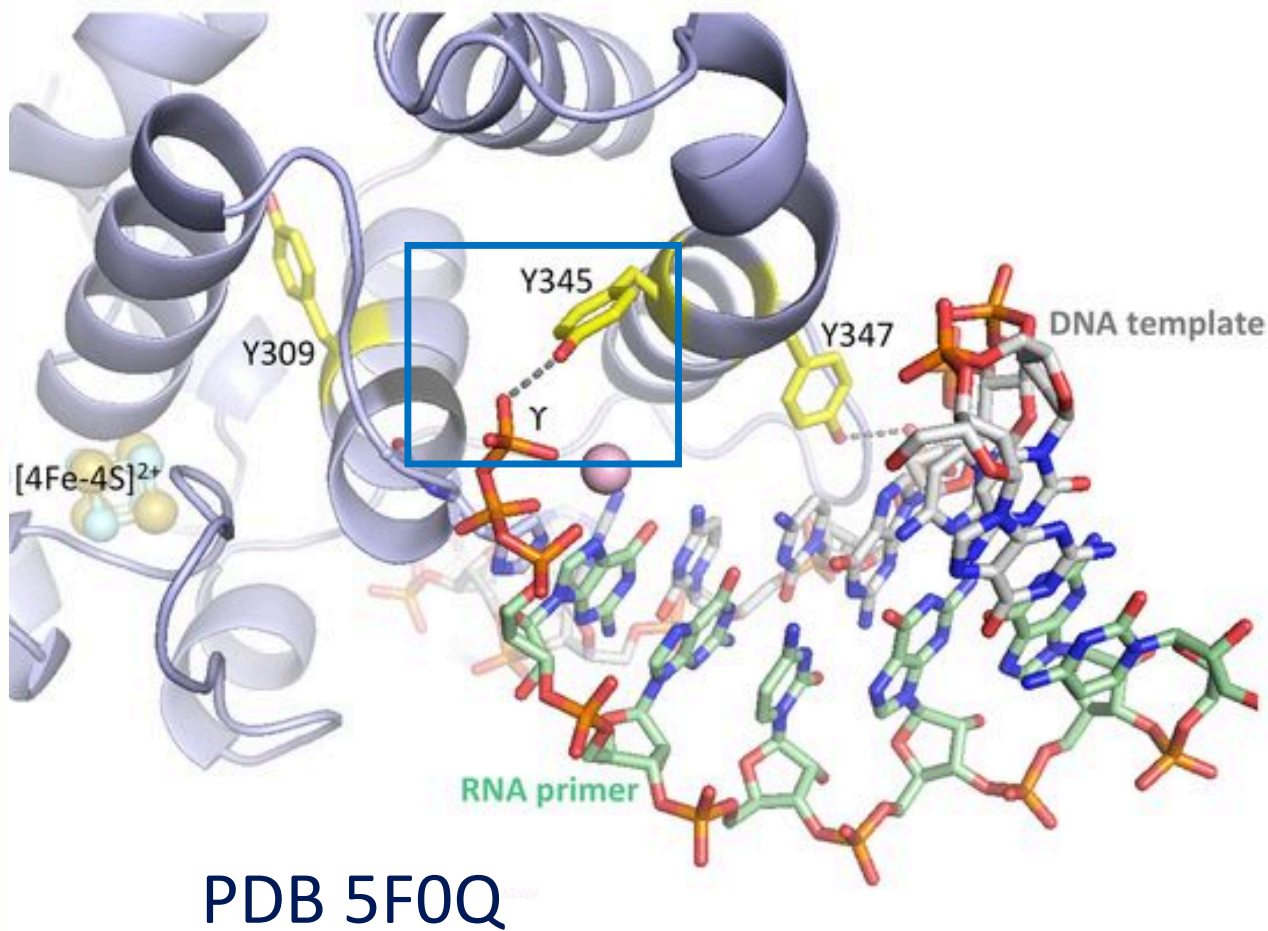


Proposed mechanism of primer handoff driven by DNA charge transfer



DNA-binding, charge transfer-deficient p58C (primase) mutants

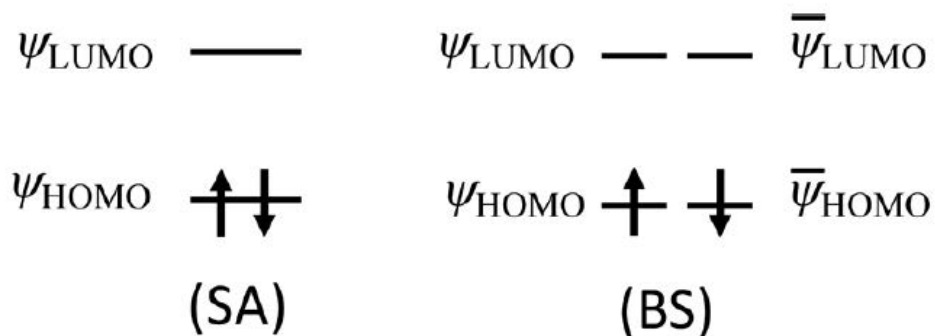
How does the mutation affect RNA/DNA-protein binding and charge transfer rates?



Objectives

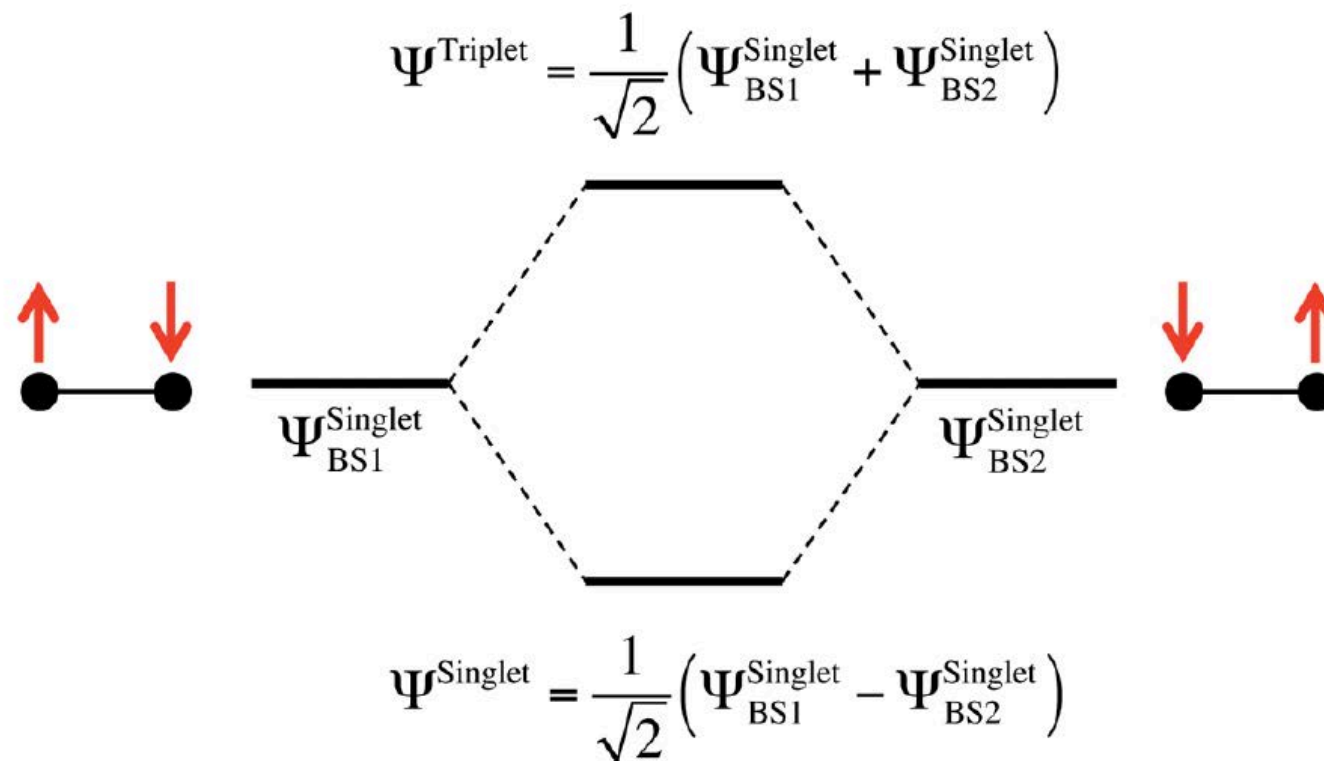
- 1) Develop AMBER force field parameters for the [4Fe4S] cluster in 2+/3+ state.
 - Broken-symmetry DFT for geometry optimization
 - Generate force constants and RESP charges
 - Validate parameters using MD simulations
- 2) Charge transfer pathway analysis using a hopping program
 - EHPath.py
- 3) Examine binding between primase and RNA/DNA duplex
 - MMPBSA.py

Broken-symmetry method



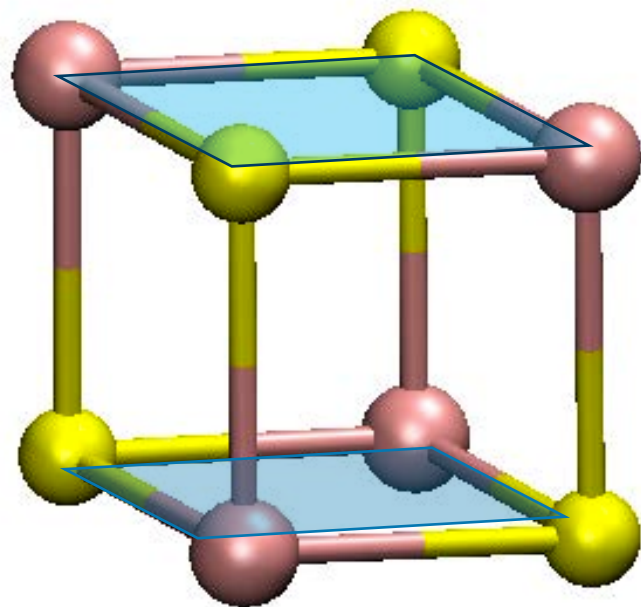
$$\psi_{\text{HOMO}}^{\text{BS}} = \cos\theta\psi_{\text{HOMO}} + \sin\theta\psi_{\text{LUMO}}$$

$$\bar{\psi}_{\text{HOMO}}^{\text{BS}} = \cos\theta\psi_{\text{HOMO}} - \sin\theta\psi_{\text{LUMO}}$$



Modeling and computational setup

PDB 5F0Q



Fe-coordinated Cys are included in the treatment but not shown here

Duke

B3LYP/6-31G**, COSMO

Charge = -2
S = 9/2

Charge = -1
S = 4



6 assignments

Charge = -1
S = 9/2

Charge = -1
S = 9/2




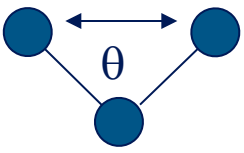
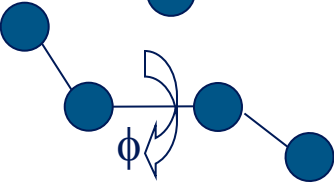

3 assignments

Structural comparison of $\text{Fe}_4\text{S}_4^{3+}$ DFT structures with crystal structure

Structures	RMSD (Å)
1_{3+}	0.283
2_{3+}	0.278
3_{3+}	0.258
4_{3+}	0.311
5_{3+}	0.279
6_{3+}	0.307

$[\text{Fe}_4\text{S}_4]$ cluster of primase was likely crystallized in the oxidized state of $3+$, as the (aerobic) sitting-drop vapor diffusion protocol was utilized and generated needle-like prisms over 2-4 days.

Overview of force field parameters

Bonds	$k_r(r - r_0)^2$	
Angles	$k_\theta(\theta - \theta_0)^2$	
Torsions	$\sum_n k_n(\cos n\phi)$	
Nonbonded:		
Lennard-Jones	$\epsilon_{ij} \left[\left(\frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left(\frac{\sigma_{ij}}{r_{ij}} \right)^6 \right]$	
Electrostatic	$\frac{q_i q_j}{r_{ij}}$	

Sources of parameters:

- Gas-phase QM
- Macroscopic properties *via* liquid state simulation, e.g., density, heat capacity, compressibility (esp. OPLS)
- Spectroscopic and crystallographic data (small molecules)

Bond and angle force constants

$$[\mathbf{k}_{AB}] = - \begin{bmatrix} \frac{\partial^2 E}{\partial x_A \partial x_B} & \frac{\partial^2 E}{\partial x_A \partial y_B} & \frac{\partial^2 E}{\partial x_A \partial z_B} \\ \frac{\partial^2 E}{\partial y_A \partial x_B} & \frac{\partial^2 E}{\partial y_A \partial y_B} & \frac{\partial^2 E}{\partial y_A \partial z_B} \\ \frac{\partial^2 E}{\partial z_A \partial x_B} & \frac{\partial^2 E}{\partial z_A \partial y_B} & \frac{\partial^2 E}{\partial z_A \partial z_B} \end{bmatrix}$$

Visual Force
Field Derivation
Toolkit (VFFDT)

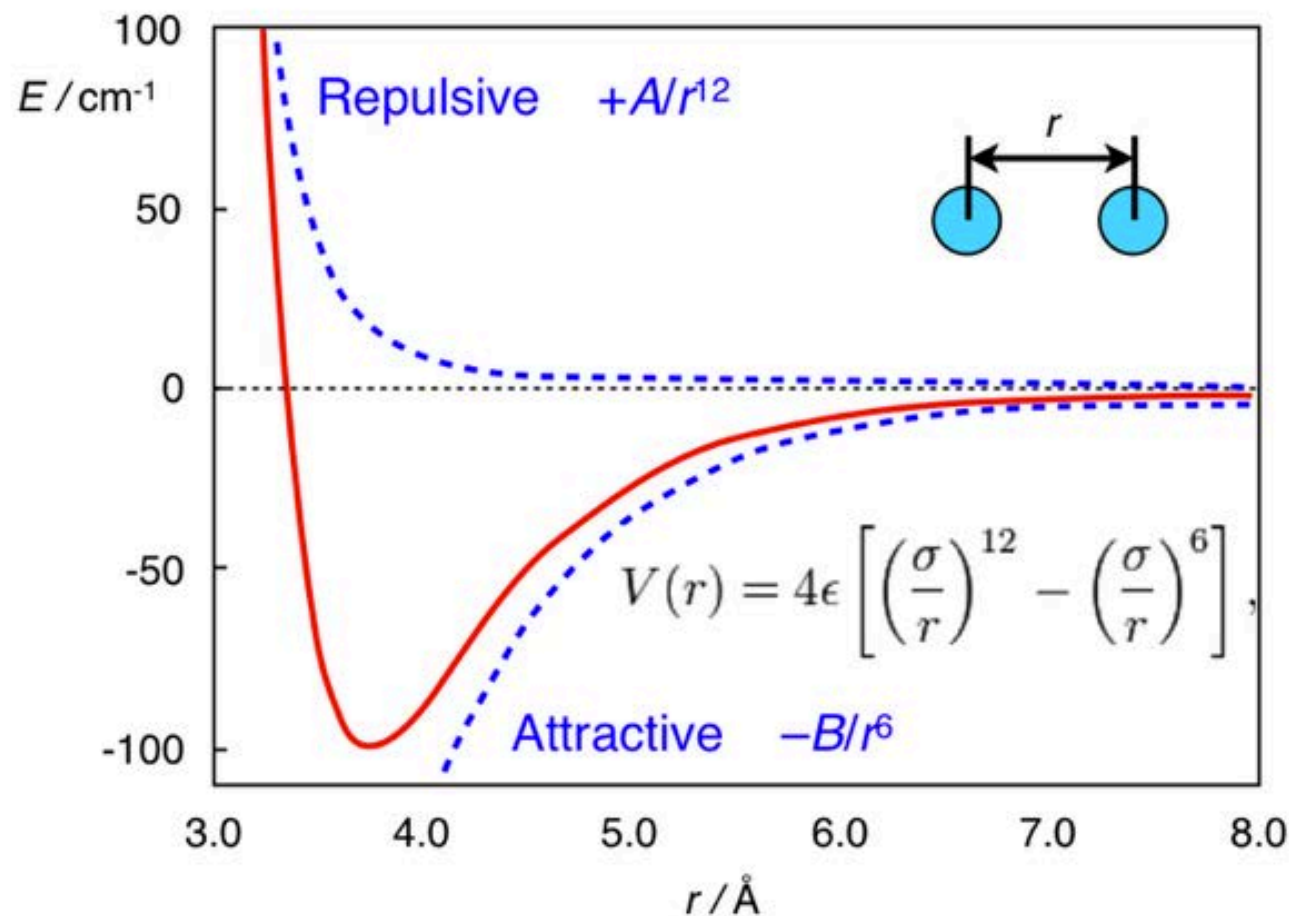


$$k_r = \sum_{i=1}^3 \lambda_i^{AB} |\hat{u}^{AB} \cdot \hat{v}_i^{AB}|$$

$$\frac{1}{k_\theta} = \frac{1}{R_{AB}^2 k_{PA}} + \frac{1}{R_{CB}^2 k_{PC}}$$

12-6 Lennard-Jones parameters

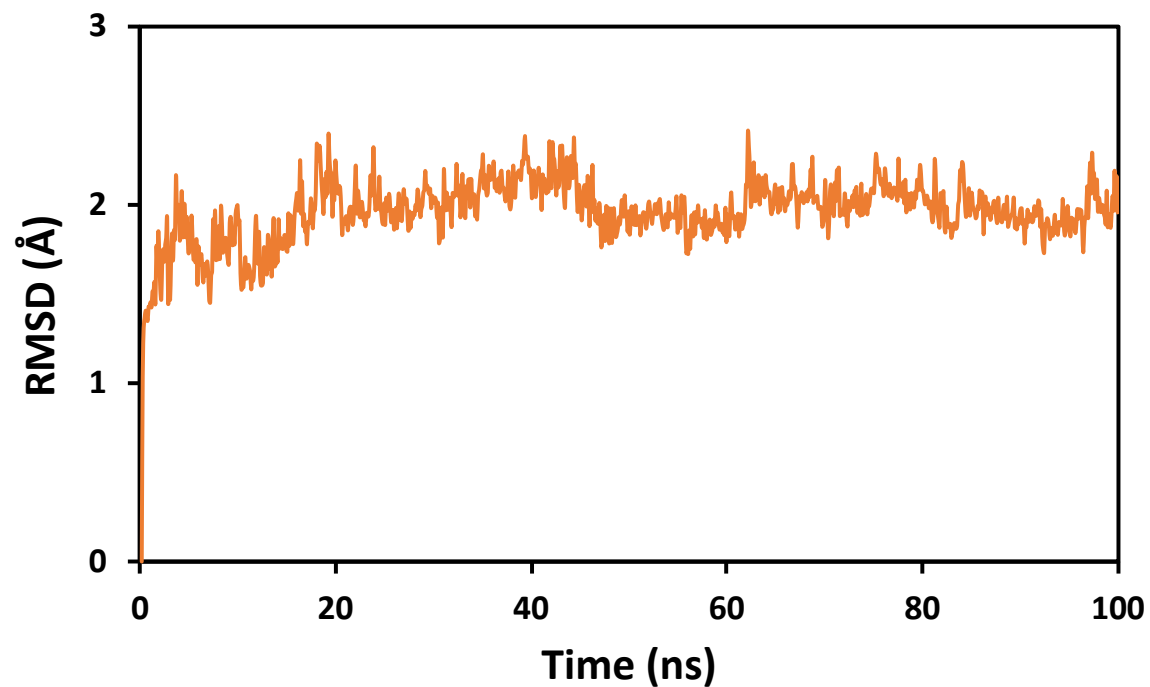
- Dispersion and short-range repulsion are then combined in the Lennard-Jones formula: $A/r^{12} - B/r^6$
- LJ parameters are scaled according to formal charges of Fe in the cluster
- i.e., $\text{Fe}^{2.5+}$ parameters are derived as the average of the Fe^{2+} and Fe^{3+} parameters



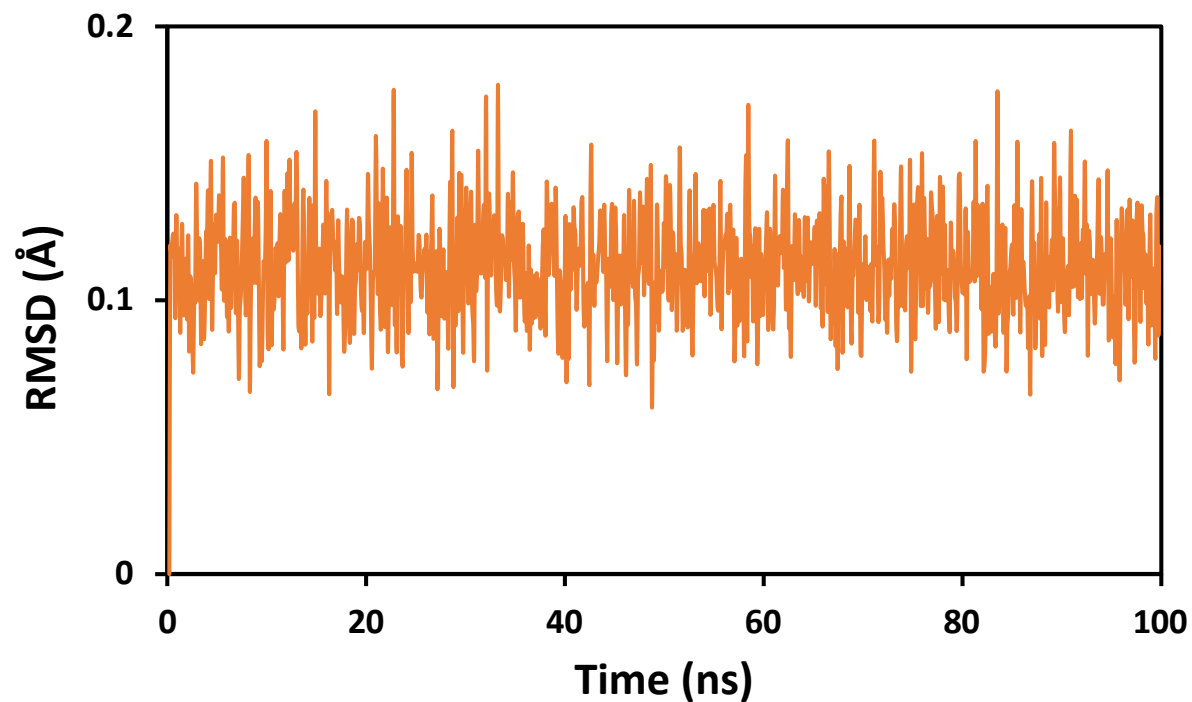
RESP Charges: B3LYP/6-31G* in order for compatibility with ff99SB

Validation of force field parameters for the $[4\text{Fe}4\text{S}]^{3+}$ cluster

Using 'average' parameters,



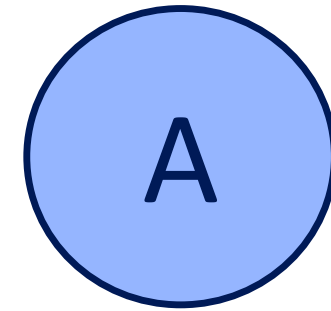
Cluster + Protein + DNA



Cluster

EHPath.py

Charge transfer between donor and acceptor



$$k_{DA} = ?$$

Marcus theory of charge transfer

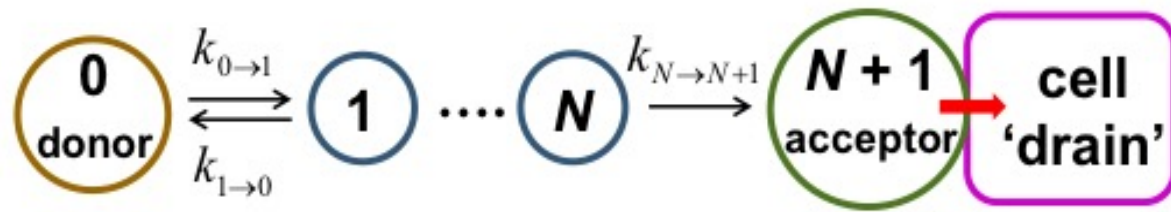
$$k_{DA} = \frac{2\pi}{\hbar} \langle V_{DA}^2 \rangle \frac{1}{\sqrt{4\pi\lambda_{DA}T}} e^{-\frac{(\Delta G^\circ + \lambda_{DA})^2}{4\lambda_{DA}k_B T}}$$

V_{DA} - electronic coupling, decays with donor/acceptor distance.

ΔG° - free energy change of the CT reaction.

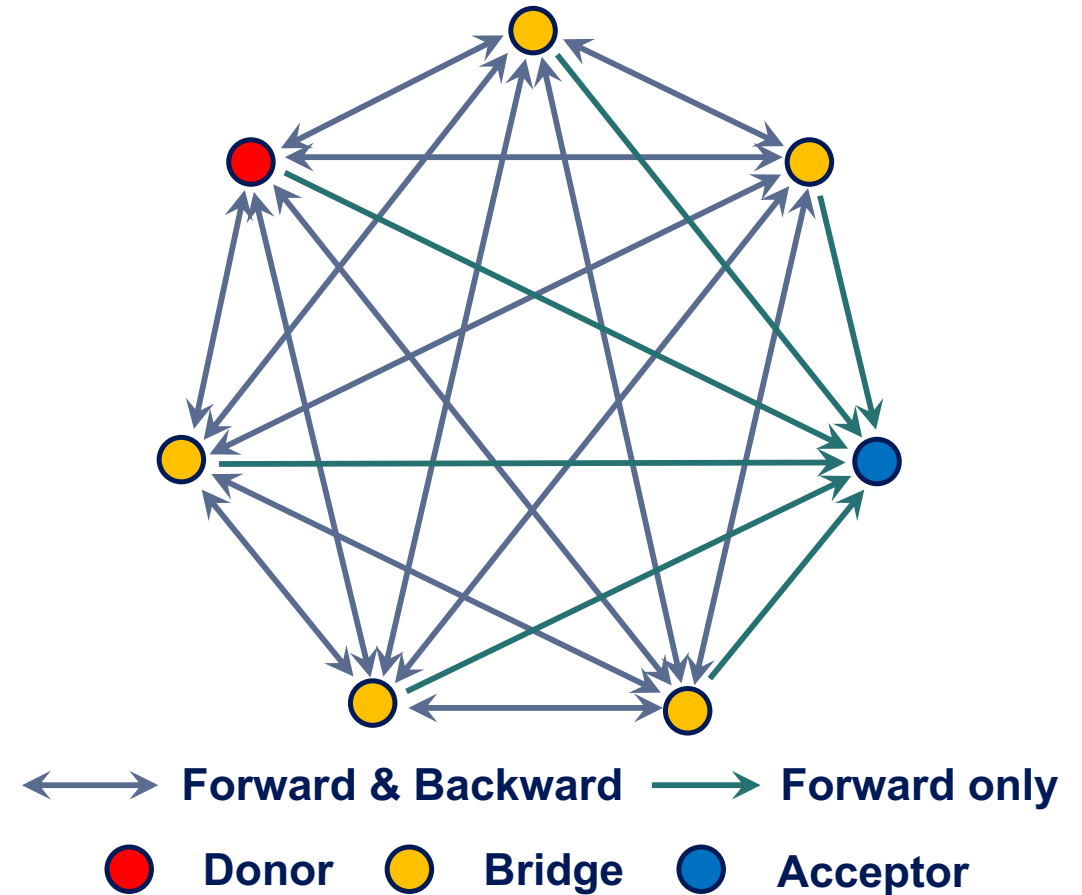
λ_{DA} - reorganization energy, depends on changes of solvation and donor/acceptor geometries upon CT.

Kinetic model and mean residence time



$$\tau = \sum_{n=0}^N \tau_n = \sum_{n=0}^{N-1} \frac{1}{k_{n \rightarrow n+1}} \left(\sum_{j=0}^{N-n-1} \prod_{i=n+1}^{N-j} \frac{k_{i \rightarrow i-1}}{k_{i \rightarrow i+1}} + 1 \right) + \frac{1}{k_{N \rightarrow N+1}}$$

$$\tau_{approx} \cong \sum_{n=0}^N \frac{1}{k_{n \rightarrow n+1}}$$



Pathway analysis in wild-type p58c-DNA/RNA using EHPath.py

Using MD snapshots from 20 - 100ns,

Top hopping pathways

% of pathways

[4Fe4S]-DA7

1.2

[4Fe4S]-Y309-DA7

54.3

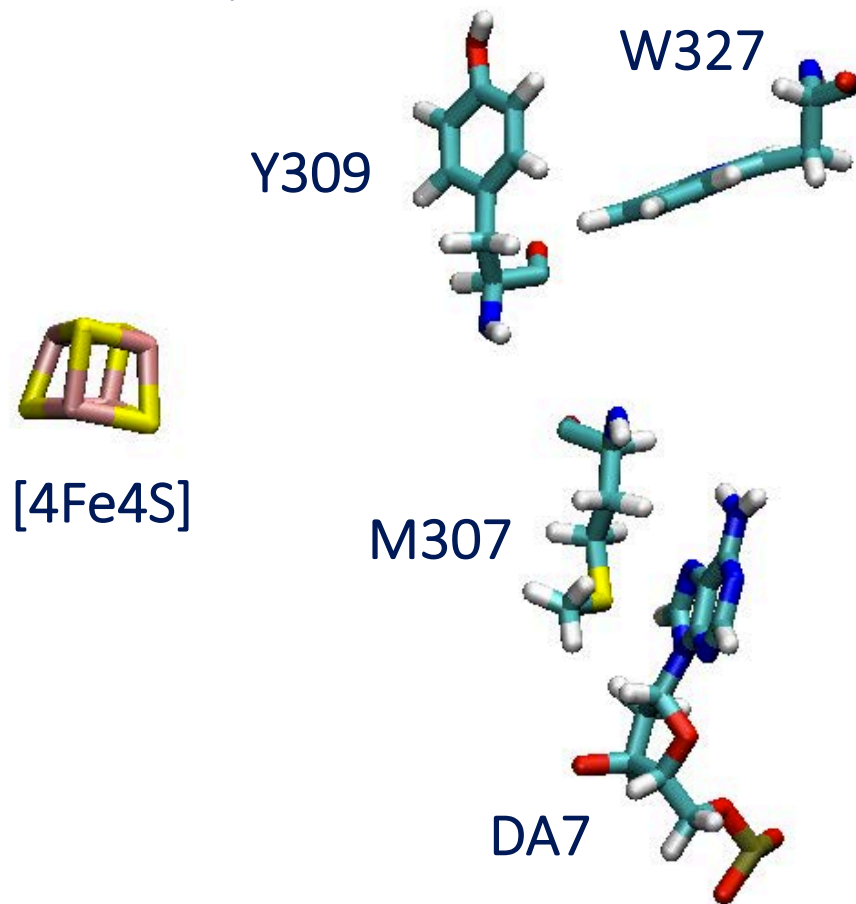
[4Fe4S]-Y309-M307-DA7

33.3

[4Fe4S]-Y309-W327-DA7

11.1

At 20 ns,



MMPBSA.py

Free energy calculations using MMPBSA.py

$$\Delta G_{\text{binding,solvated}} = \Delta G_{\text{complex,solvated}} - [\Delta G_{\text{receptor,solvated}} + \Delta G_{\text{ligand,solvated}}]$$

$$\begin{aligned}\Delta G_{\text{solvated}} &\cong \langle E_{\text{gas}} \rangle + \langle \Delta G_{\text{solvation}} \rangle - T \langle S_{\text{solute}} \rangle \\ &= \frac{1}{N} \sum_{i=1}^N E_{i,\text{gas}} + \frac{1}{N} \sum_{i=1}^N \Delta G_{i,\text{solvation}} \\ &\quad - \frac{T}{N} \sum_{i=1}^N S_{i,\text{solute}}\end{aligned}$$

- E_{gas} – molecular mechanical energies (bonded, electrostatic, VDW)
- $\Delta G_{\text{solvation}}$ – polar (implicit solvent models) and non-polar
- S_{solute} – vibrational contribution calculated by normal mode analysis or quasi-harmonic approximation
- Single trajectory protocol (STP)

[4Fe4S]³⁺-DNA/RNA binding free energy (MM/PBSA)

Differences (Complex - Receptor - Ligand):

Energy Component	Average	Std. Dev.	Std. Err. of Mean
VDWAALS	-120.9776	8.1879	1.1465
EEL	-3093.7918	82.3014	11.5245
EPB	3078.1227	80.0224	11.2054
ENPOLAR	-12.2814	0.5799	0.0812
EDISPER	0.0000	0.0000	0.0000
DELTA G gas	-3214.7693	82.0505	11.4894
DELTA G solv	3065.8414	79.9099	11.1896
DELTA TOTAL	-148.9280	9.9197	1.3890

Using Quasi-harmonic Entropy Approximation: DELTA G binding = -7.8911



Acknowledgements

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- Professor Agostino Migliore
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- Beratan group
- Dr. Tomasz Janowski
- Tom Milledge
- Blue Waters and NCSA staff

The Blue Waters logo consists of a dark blue square containing the text "BLUE WATERS" in large, white, bold, sans-serif capital letters, with "SUSTAINED PETASCALE COMPUTING" in smaller, white, sans-serif capital letters below it.

BLUE WATERS
SUSTAINED PETASCALE COMPUTING



Thank you for your
attention!